



I • STRICTLY INSCRIBED SIMILAR TRIANGLES

Problem

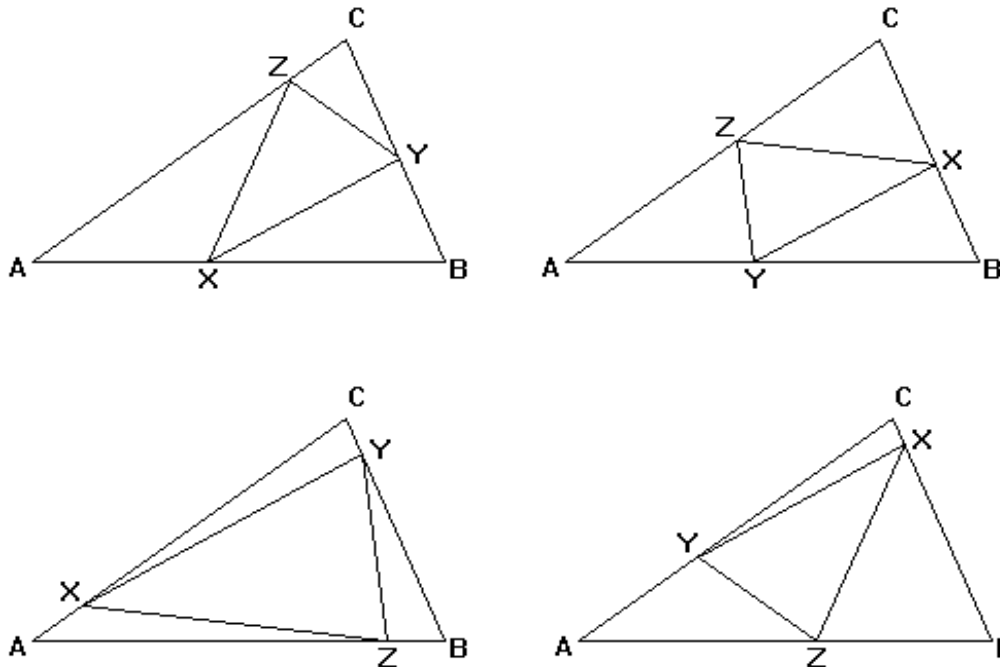
Two triangles \mathbf{ABC} and \mathbf{XYZ} are *Similar* if their corresponding sides are proportional (or, equivalently if their corresponding angles are equal. We will say that \mathbf{ABC} and \mathbf{XYZ} are *Similar In Order*, if \mathbf{A} corresponds to \mathbf{X} , \mathbf{B} corresponds to \mathbf{Y} and \mathbf{C} corresponds to \mathbf{Z} . That is:

$$|\mathbf{AB}| / |\mathbf{XY}| = |\mathbf{BC}| / |\mathbf{YZ}| = |\mathbf{AC}| / |\mathbf{XZ}|,$$

where $|\mathbf{MN}|$ denotes the length of the line from \mathbf{M} to \mathbf{N} .

Triangle \mathbf{XYZ} is *Strictly Inscribed in* triangle \mathbf{ABC} , if each vertex of \mathbf{XYZ} lies in the interior (not at a vertex) of a different edge of \mathbf{ABC} . This means that no edge of \mathbf{XYZ} can be contained in an edge of \mathbf{ABC} . If \mathbf{XYZ} is similar in order to \mathbf{ABC} and strictly inscribed in \mathbf{ABC} , we say that \mathbf{XYZ} is a *Strictly Inscribed Similar Triangle* to \mathbf{ABC} .

If the line through \mathbf{X} and \mathbf{Y} makes an angle θ with the line through \mathbf{A} and \mathbf{B} , there are four possible orientations illustrated in the figures below. \mathbf{X} and \mathbf{Y} may be at either end of the segment and the third vertex, \mathbf{Z} , may be on either side of the line. In the figures, the line through \mathbf{X} and \mathbf{Y} makes an angle of 30° with the line through \mathbf{A} and \mathbf{B} .



Depending on the shape of the outside triangle, \mathbf{ABC} , and the angle, θ , between the line through \mathbf{X} and \mathbf{Y} and the line through \mathbf{A} and \mathbf{B} , there may be $0, 1, 2, 3$ or 4 strictly inscribed similar triangles to \mathbf{ABC} with angle θ .

Write a program, which takes as input the vertices of the triangle \mathbf{ABC} and an angle θ , and computes the vertices of all strictly inscribed similar triangles to \mathbf{ABC} for which the line through \mathbf{X} and \mathbf{Y} makes an angle θ with the line through \mathbf{A} and \mathbf{B} .



Notes

Use the value: **3.14159253** as the value for π , should you need it.

Input

The first line of the input is a positive integer n which is the number of triangle datasets that follow. Each triangle dataset consists of four lines. The first line has the x and y coordinates of vertex **A**, the second line has the x and y coordinates of vertex **B** and the third line has the x and y coordinates of vertex **C**. The last line has the angle θ in degrees between the line through **X** and **Y** and the line through **A** and **B**.

Output

For each dataset, you will output the number of strictly inscribed similar triangles to **ABC** satisfying the input conditions. Then, for each such triangle, print a blank line, followed by a line containing the coordinates of vertex **X** (corresponding to **A**); a line containing the coordinates of vertex **Y** (corresponding to **B**); a line containing the coordinates of vertex **Z** (corresponding to **C**); and another blank line. Each coordinate should be given to four decimal places.

Example

Input	Output
2	2
0 0	15.6030 4.6260
21 0	7.5905 0.0000
14 6	8.9396 3.8313
30	
0 0	8.1575 0.0000
21 0	15.8312 4.4304
14 6	12.0075 5.1461
50	
	1
	10.0510 0.0000
	14.6315 5.4587
	11.5450 4.9479